


## ANNOUNCEMENTS


- Lab 3 due this week (week of October 18<sup>th</sup>)
- Labs this week – exam review
- In-lecture activity – Wednesday Oct 20<sup>th</sup>
- Exam 2 – Friday, October 22<sup>nd</sup> in lecture
- Lab 4 begins week of October 25<sup>th</sup>



## SECURITY IN OPERATING SYSTEMS


- Administrators
  - Login for users
  - Auditing software
    - software that is always running & looking for strange behavior
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## SECURITY IN OPERATING SYSTEMS

- Privileged mode
    - run privileged instructions
    - small amount of time
  - Non-privileged mode
    - what the computer runs most of the time
- 

## Fedora

SECURITY ON A NETWORK - Malware is biggest threat

- Virus
  - Worm - self-propagating
  - Trojan horse
  - Spyware
  - Phishing
  - Denial of Service Attack
- 

HOW CAN COMPUTERS (AND USERS)  
PROTECT THEMSELVES?

Firewalls - Gateway to a network or computer

Proxy server - Intermediary between client & server

Anti-virus software



## PRACTICE PROBLEMS FOR EXAM 2

### ○ Questions at the end of Chapter 2 (pages 113-117)

- 4
- 5
- 7
- 9
- 11
- 12
- 13
- 14
- 15
- 16
- 17
- 18
- 20
- 21
- 22
- 23
- 26
- 27



## PRACTICE PROBLEMS FOR EXAM 2

### ○ Questions at the end of Chapter 3 (pgs 146-149)

- 1
- 3
- 5
- 7
- 8
- 10
- 11
- 18
- 19
- 29
- 31
- 32
- 45
- 49
- 50



## PRACTICE PROBLEMS FOR EXAM 2

- Questions at the end of Chapter 4 (pgs 197-199)

- 1
- 2
- 3
- 4
- 5
- 11
- 17
- 18
- 19
- 20
- 21
- 24
- 25
- 34
- 35
- 37



## IN-LECTURE ACTIVITY #4

Encryption

### VOLUNTEERS (NEED 6)

- Volunteers 1-5: Pick a number with 1 or 2 digits and write it on the piece of paper. (Will also need to do some addition in a moment.)
- Volunteer 6: Pick a 3-digit number and write it on the piece of paper.

### VOLUNTEERS 1-5

- When you receive the pad of paper, add the number you picked to the number on the pad.
- Write the answer on the next page in the pad.
- Rip off the top page (it's yours to keep as a souvenir).

## COMPUTE THE AVERAGE

- Pad of paper comes back to Adrienne

*292 comes back*




## DID WE COMPUTE THE CORRECT AVERAGE?


- Figure it out



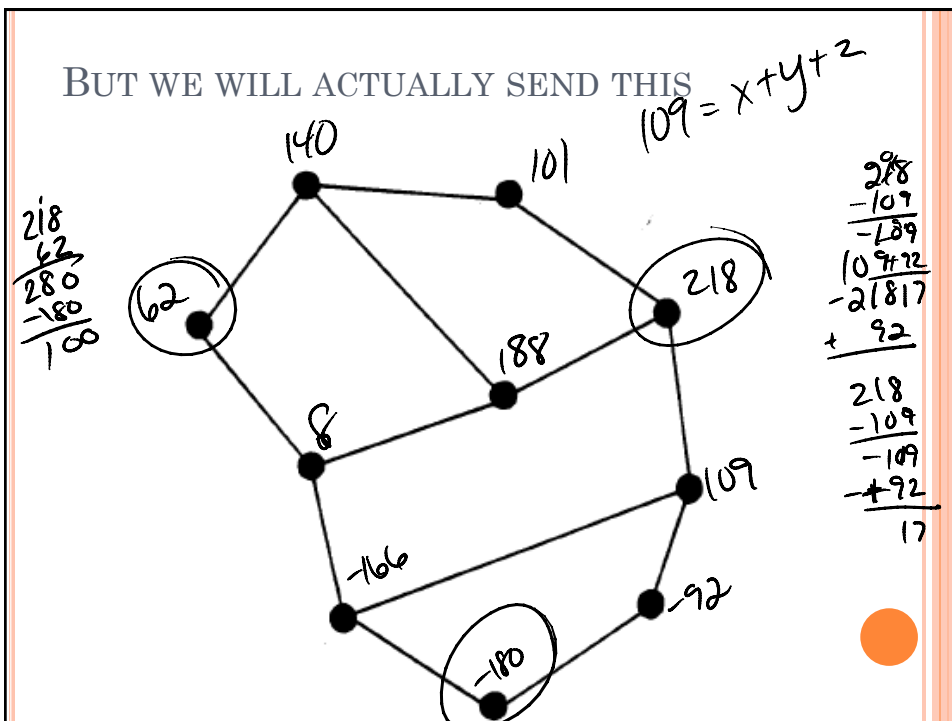
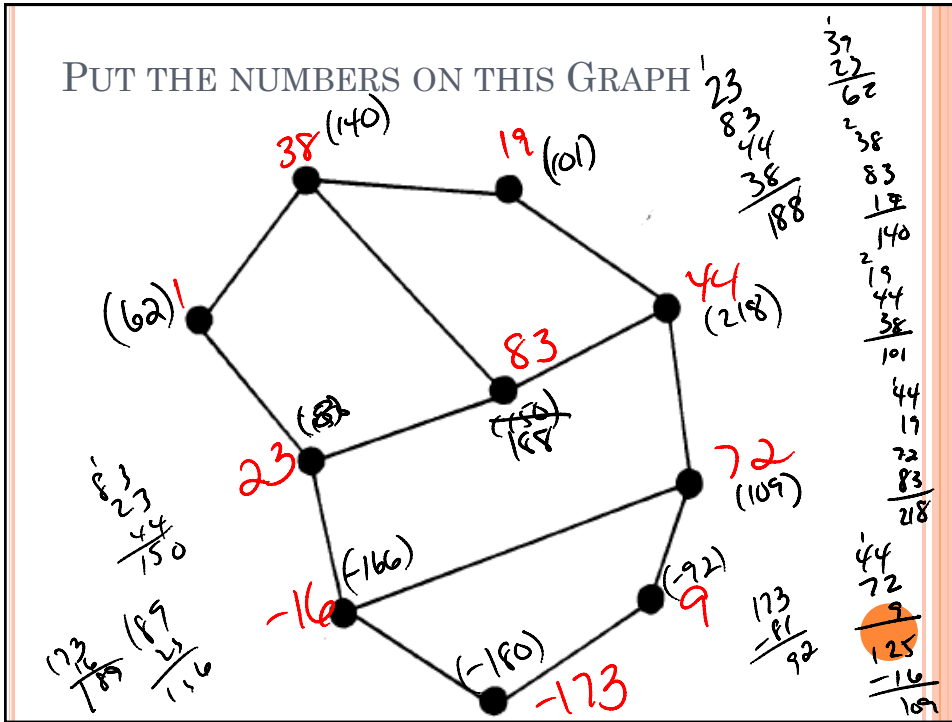
## SENDING “SECRET” INFORMATION

- Tell someone the “secret number”
  - To send “secret message”, take the message and add the “secret number” to it
  - To decode, subtract the “secret number” from the message you receive
- 

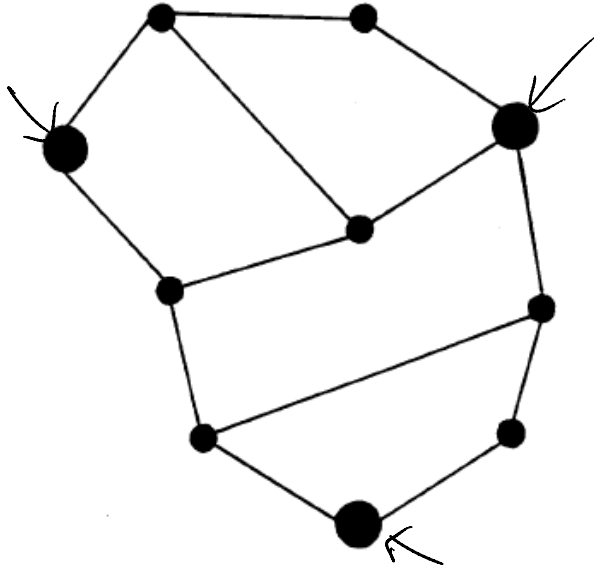
## ANOTHER “PUBLIC SECRET” EXAMPLE

- Volunteer 1:
    - Pick a number  $> 50$  and  $< 1000$
  - Now pick 10 other numbers that will add up to our secret number
- 

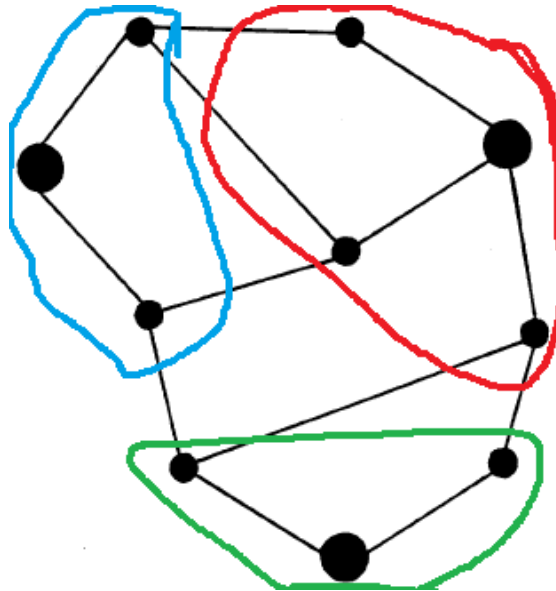




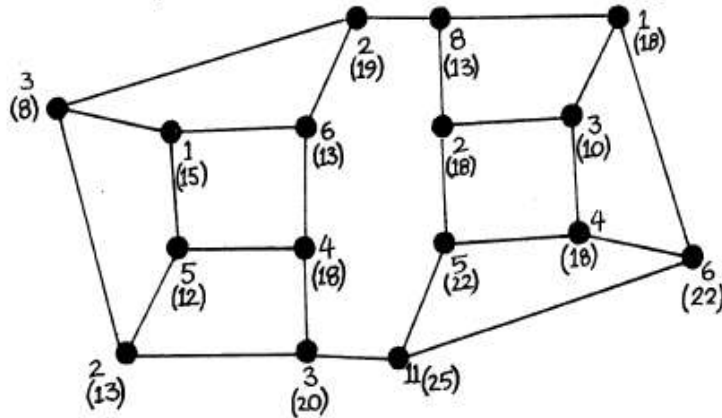
OUR RECEIVER WILL DECODE USING...



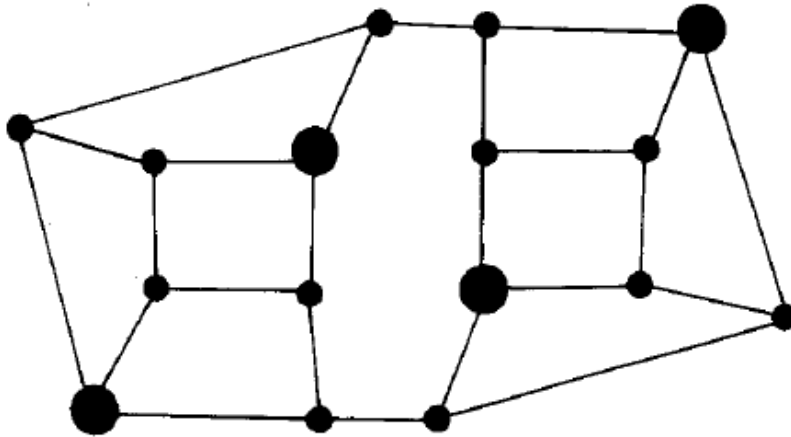
WHY DO WE ONLY NEED THREE?



## MORE COMPLEX EXAMPLE



## PRIVATE GRAPH



SO WHAT IS THE MESSAGE WE ARE  
SENDING?




PROBLEM


- No matter how complex the graph,  
we still could break it.
- So, the key to public key  
cryptosystems is to create keys that  
are hard to “crack”




## PUBLIC KEY ENCRYPTION (RSA)

- My children want to send a message to me
  - Step 1: They write out the message
  - Step 2: Break message into chunks of 4 characters
  - Step 3: Convert the chunks to numbers
  - Step 4: Use Mom's public key to encrypt message
  - Step 5: Send message to Mom
- 


## ENCRYPTION

- Mom gets message and uses private key to decrypt message and read it.
  - To respond, Mom does same steps, but uses the kid's public key to encrypt. The kids use their private key to decrypt.
  - Neither party knows the other's private key, only their public keys.
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## MORE DETAILS – THE MATH

- Choose two prime numbers  $p$  &  $q$ 
    - $p$  &  $q$  have at least 150 digits each
  - Compute  $n = pq$
  - Compute  $k = (p-1) * (q-1)$
  - Find  $e$ :  $e$  is a prime number between 1 &  $k$  and is relatively prime to  $k$ .
    - Relatively prime means that the greatest common divisor between  $e$  &  $k$  is 1
- 

## MORE DETAILS – THE MATH

- Then, we solve the following equation for  $d$  &  $v$ 
    - $(d*e) - (v*k) = 1$
  - We keep  $d$ ,  $e$ , and  $n$ 
    - Public key:  $e$  &  $n$
    - Private key:  $d$  &  $n$
- 

## CONVERTING MESSAGE

- To encrypt message:
  - $(\text{Message as number})^e \bmod n$
- Send result
  
- When receiver gets message, decrypt using:
  - $(\text{Received message})^d \bmod n$



## HOW IS IT SECURE?

- Leaving some of the math details out, in order to get the private key (d), we would need to be able to factor n into p & q.
  
- n is a 300-digit number



## CAN WE DO IT?

- Latest data I could find:
  - We can factor a 232-digit number into its prime factors
  - But
    - It took 2 years
    - And hundreds of machines

