CUDA Implementation of the Lattice Boltzmann Method CSE 633 Parallel Algorithms

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- Uniformity makes it easy to parallelize.
- High volume of simple calculations make it ideal for GPGPU computing.

LBM Degrees of Freedom



• Each lattice point has an associated mass density

LBM Degrees of Freedom



- Each lattice point has an associated mass density
- This mass density is projected in 9 directions

LBM Stream



• At each time step, each neighbor passes mass density

LBM Collision



• Collision occurs with the accepted mass densities

LBM Collision



- Collision occurs with the accepted mass densities
- Equillibrium condition is solved

LBM Collision



- Collision occurs with the accepted mass densities
- Equillibrium condition is solved
- New projected mass densities are assigned

LBM Boundary Conditions



• Bounceback is implemented at solid boundaries

LBM Boundary Conditions



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- The inlet has predetermined mass density

LBM Boundary Conditions



- Bounceback is implemented at solid boundaries
- The inlet has predetermined mass density
- The outlet accepts outward flow



• Data initialized as an array on host



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- Data initialized as an array on host
- Pitch stores the width of a row in memory, determined by CudaMallocPitch()
- Memory is allocated on the device linear memory with CudaMallocArray()
- Array copied from host to device with CudaMemcpy2D()

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- Texture memory has fast retrieval but limited space
- Use cudaBindTextureToArray() to copy data as a texture



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- Each block consists of threads which will independently run the kernel(SIMD)



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- What follows is the Kernel for the stream() method. This example utilizes a lock-step texture look up.

Code: Stream

```
//Define stream kernel//
global void stream kernel(int pitch, float *f1, float *f2,
          float *f3. float *f4. float *f5. float *f6. float *f7. float *f8){
 int i, j, id;
 i = blockDim.x * blockIdx.x + threadIdx.x:
j = blockDim.y * blockIdx.y + threadIdx.y;
id = i + j * (pitch/sizeof(float));
 //Gather adjacent f's for the stream step//
 f1[id] = tex2D(f1 tex, (float) i-1, (float) j);
 f2[id] = tex2D(f2 tex, (float) i, (float) j-1);
 f3[id] = tex2D(f3 tex, (float) i+1, (float) j);
 f4[id] = tex2D(f4 tex, (float) i, (float) j+1);
 f5[id] = tex2D(f5 tex, (float) i-1, (float) j-1);
 f6[id] = tex2D(f6 tex, (float) i+1, (float) j-1);
 f7[id] = tex2D(f7 tex, (float) i+1, (float) j+1);
 f8[id] = tex2D(f8 tex, (float) i-1, (float) j+1);
```

The following slides contain graphs comparing run times for the LBM on a laptop with 1.3 GHZ processor running sequential C code and a single Tesla GPU running parallel code in CUDA. The change in performance based on block size is also explored.

Sequential vs Parallel



Sequential vs Parallel



Sequential vs Parallel



Thanks to Dr.Graham Pullan from Cambridge University for letting me use and modify his code.



Alexander Wagner, A Practical Introduction to the Lattice Boltzmann Method. North Dakota State University, March 2008.

Graham Pullan, A 2D Lattice Boltzmann Flow Solver Demo. http://www.many-core.group.cam.ac.uk/projects/LBdemo.shtml, University of Cambridge.