

# Line Segment Visibility from Origin

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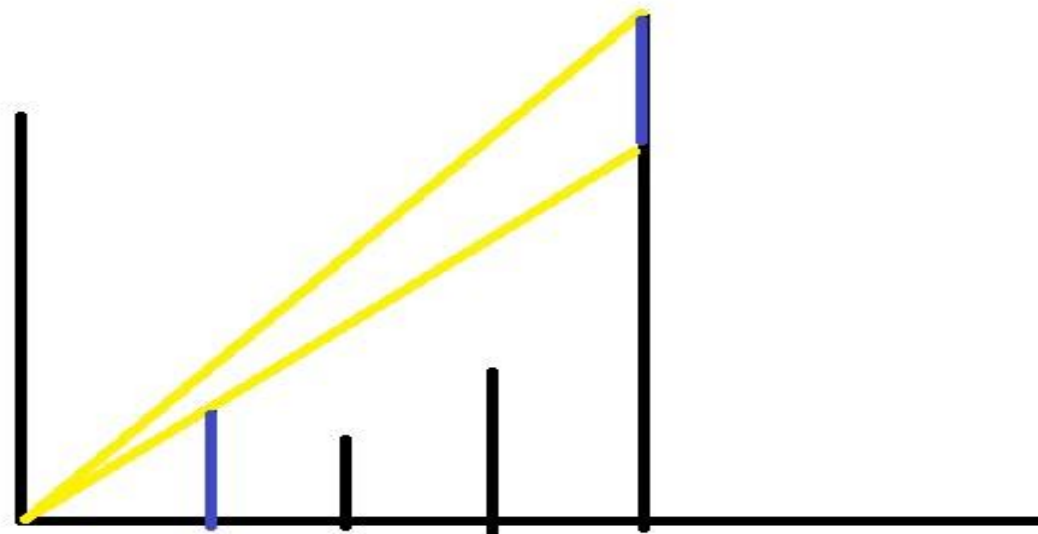
CSE-633 Parallel Algorithms

Wednesday 23<sup>rd</sup> April 2014

# Problem Definition

- ▶ Given a set of line segments which are perpendicular to the x axis , determine what piece of each line segment would be visible from origin .
- ▶ Input :- A set of y coordinate values
- ▶ Output :- A set of results which contain the piece of each line segment that is visible

# Illustration



# Assumptions

- ▶ One end of the line segment is at the x-axis.
- ▶ The lines are placed unit distance apart in x-axis .
- ▶ The data is arranged in ascending order with respect to the x axis values.
- ▶ One cannot see through the lines

# Applications

- ▶ When creating a virtual reality , one would want the users to not be able to look through walls/buildings.
- ▶ Determining the length of a runway when building an airport.

# What I've done

- ▶ Developed a serial algorithm
- ▶ Developed a parallel algorithm
- ▶ Compared them.

# Serial Algorithm

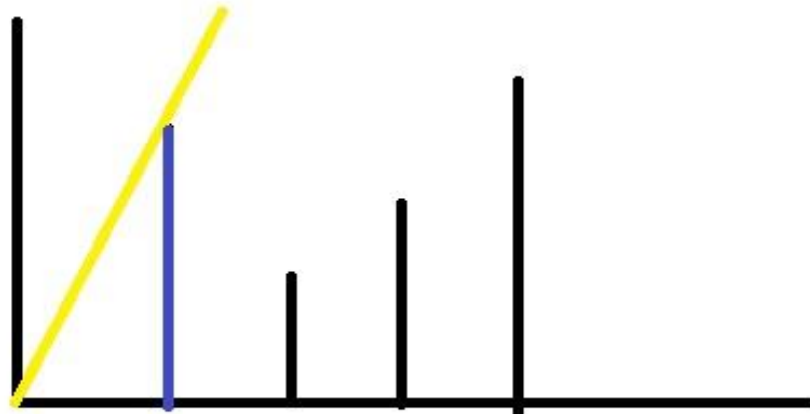
- ▶ Read the data.
- ▶  $\text{Currentslope} = y[0] / x[0]$
- ▶ For  $i = 1$  to  $n$
- ▶ If  $y[i] > \text{Currentslope} * x[i]$
- ▶      $\text{out}[i] = y[i] - \text{Currentslope} * x[i]$
- ▶      $\text{Currentslope} = y[i] / x[i]$
- ▶ Else
- ▶      $\text{out}[i] = 0;$
- ▶ Print  $\text{out}[i]$ .

# Parallel Solution

- ▶ Parallel prefix on the maximum slope .
- ▶ Perform the serial algorithm to get the results within the particular processor
- ▶ Pass on the maximum slope seen within the processor to the next processor
- ▶ If the value obtained is greater than maximum local slope then  
pass on the value obtained to the next processor
- ▶ Else pass on maximum local slope to next processor  
recalculate the local values with the value obtained .



# Implementation - Input Data problem



# Implementation - generation of input data

- ▶ Created dataset using random function.
- ▶ `prevslope=0`
- ▶ If `rand()%4==3`
  - `arr[i]=prevslope*i+.001`
  - `prevslope=arr[i]/l;`
- ▶ Else `arr[i]=0`

# Implementation - distribution of data

- ▶ Processor with rank=0 creates the dataset
- ▶ Rank0 processor then distributes the entire dataset to all other processors
- ▶ Since all processors know  $n$ (size of data) and  $p$ (number of processors) they'll calculate the lower limit and upper limit of the entire data they are supposed to read
- ▶ Lower limit =  $((n/p)*rank)+1$
- ▶ Upper limit =  $(n/p)*(rank+1)$

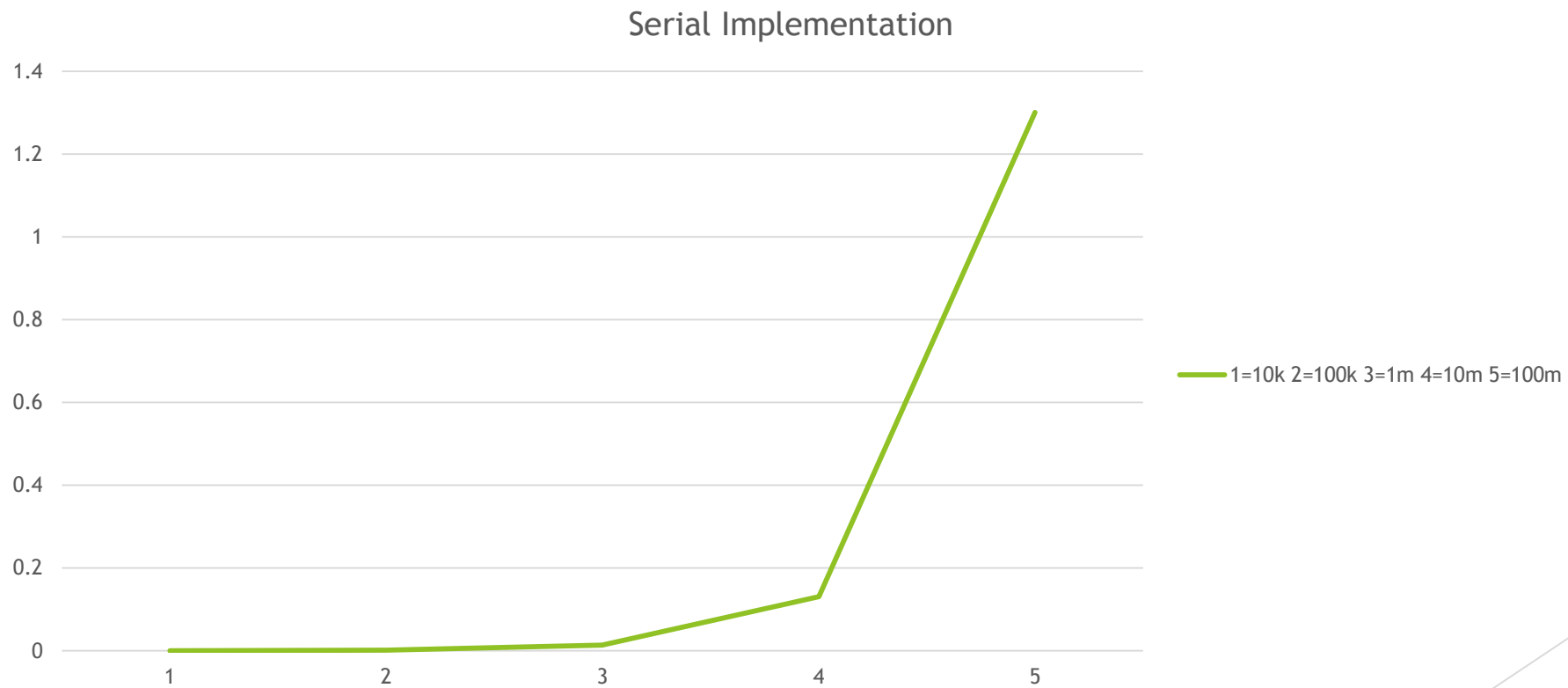
# Running Time Serial Implementation

<b>10,000</b>	<b>0.000131</b>
100,000	0.001348
1,000,000	0.013202
10,000,000	0.129934
100,000,000	1.300618

# Running Time - Parallel Implementation

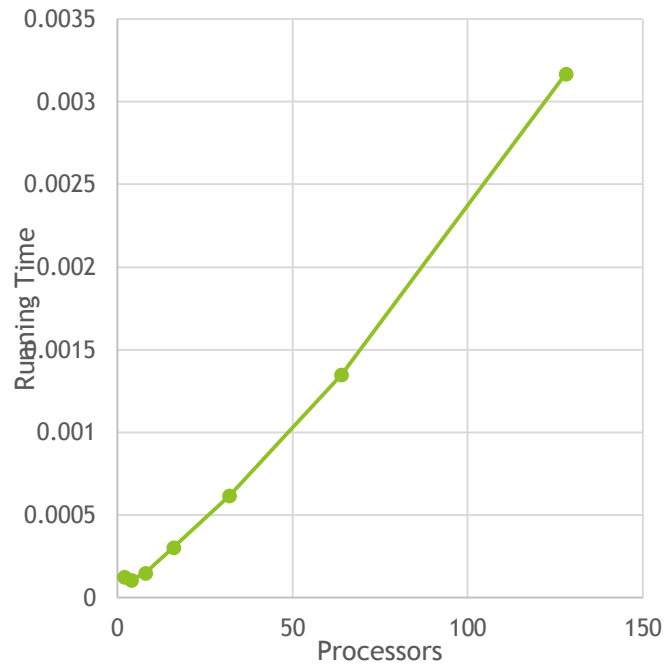
	10,000	100,000	1,000,000	10,000,000	100,000,000
2	0.000125	0.001257	0.012603	0.09296	0.300813
4	0.000105	0.000663	0.006354	0.031587	0.275691
8	0.000149	0.000436	0.003248	0.016084	0.135961
16	0.000303	0.00049	0.002037	0.008422	0.074135
32	0.000617	0.000742	0.00176	0.005049	0.040772
64	0.001349	0.001536	0.001824	0.003948	0.021979
128	0.003168	0.002987	0.002502	0.002737	0.01576

# Results - Serial Implementation

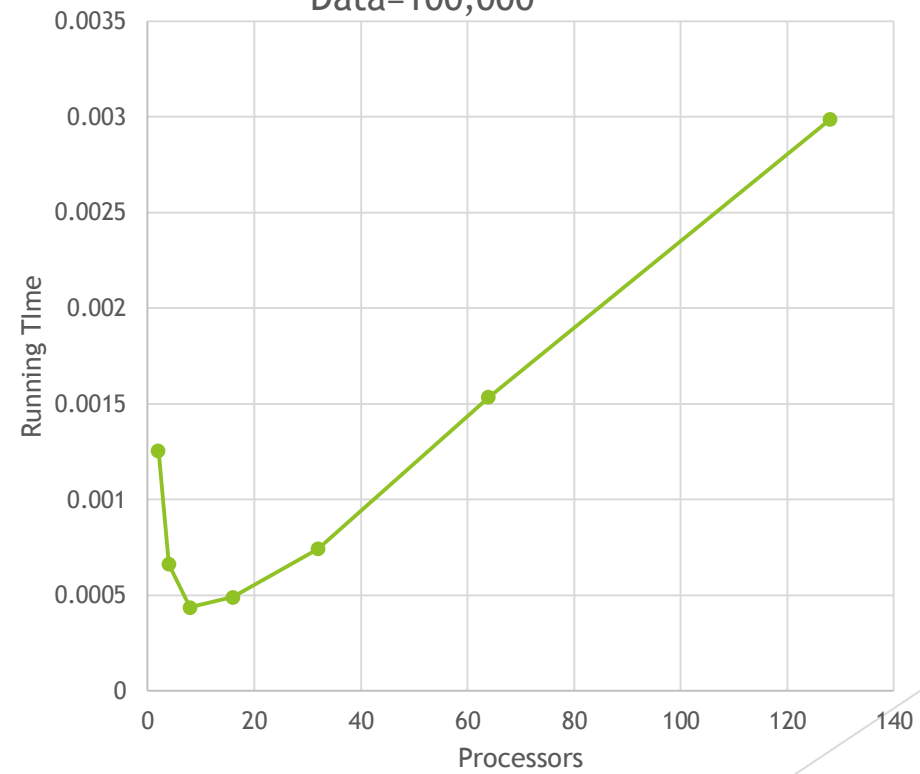


# Result - parallel implementation

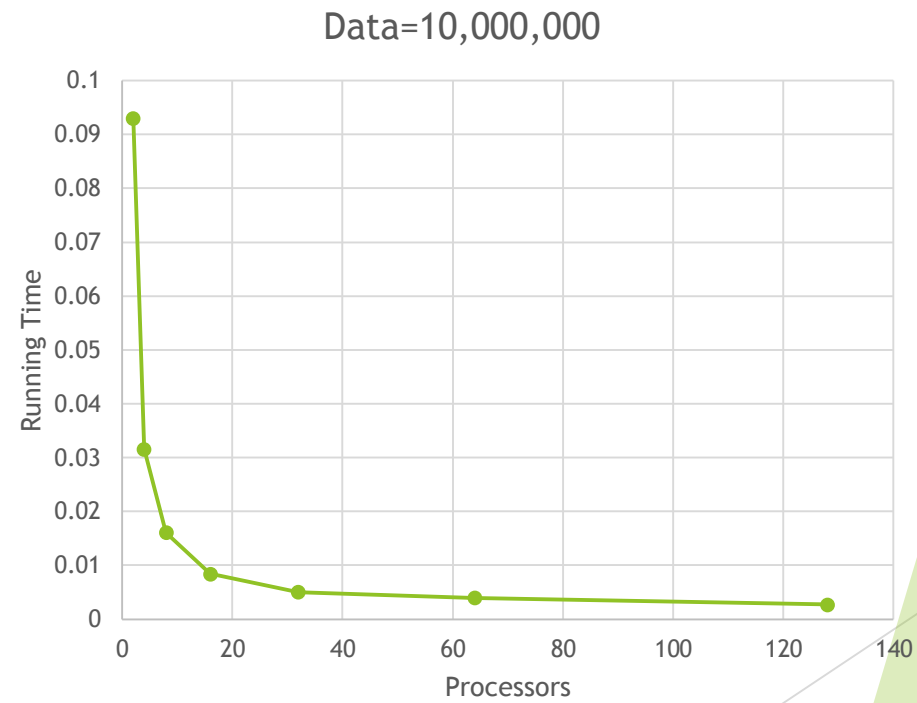
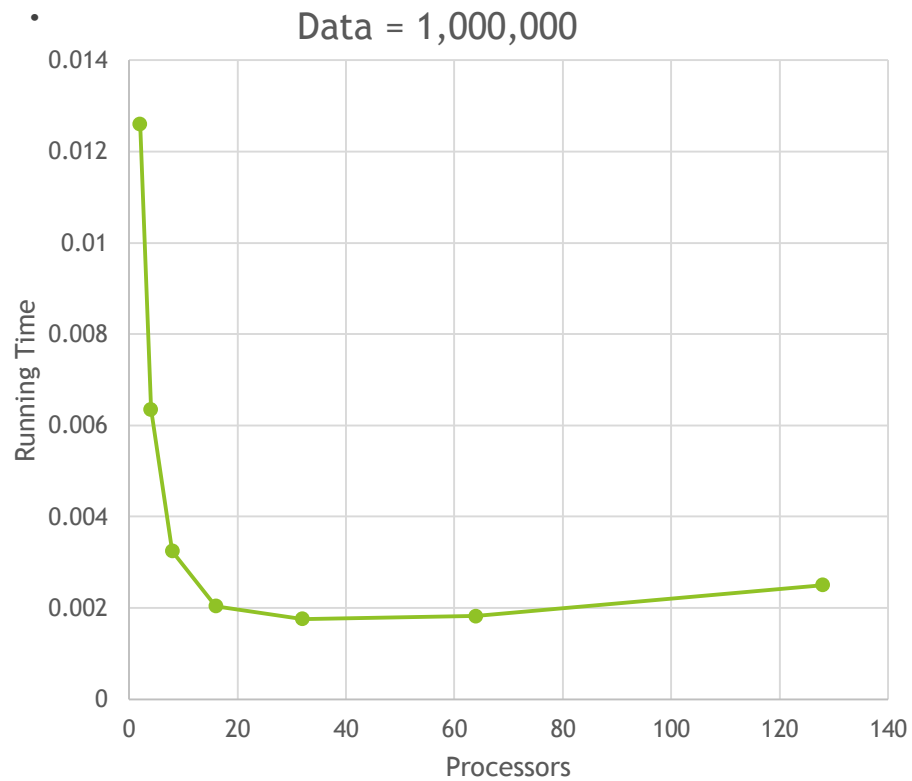
Data = 10,000



Data=100,000

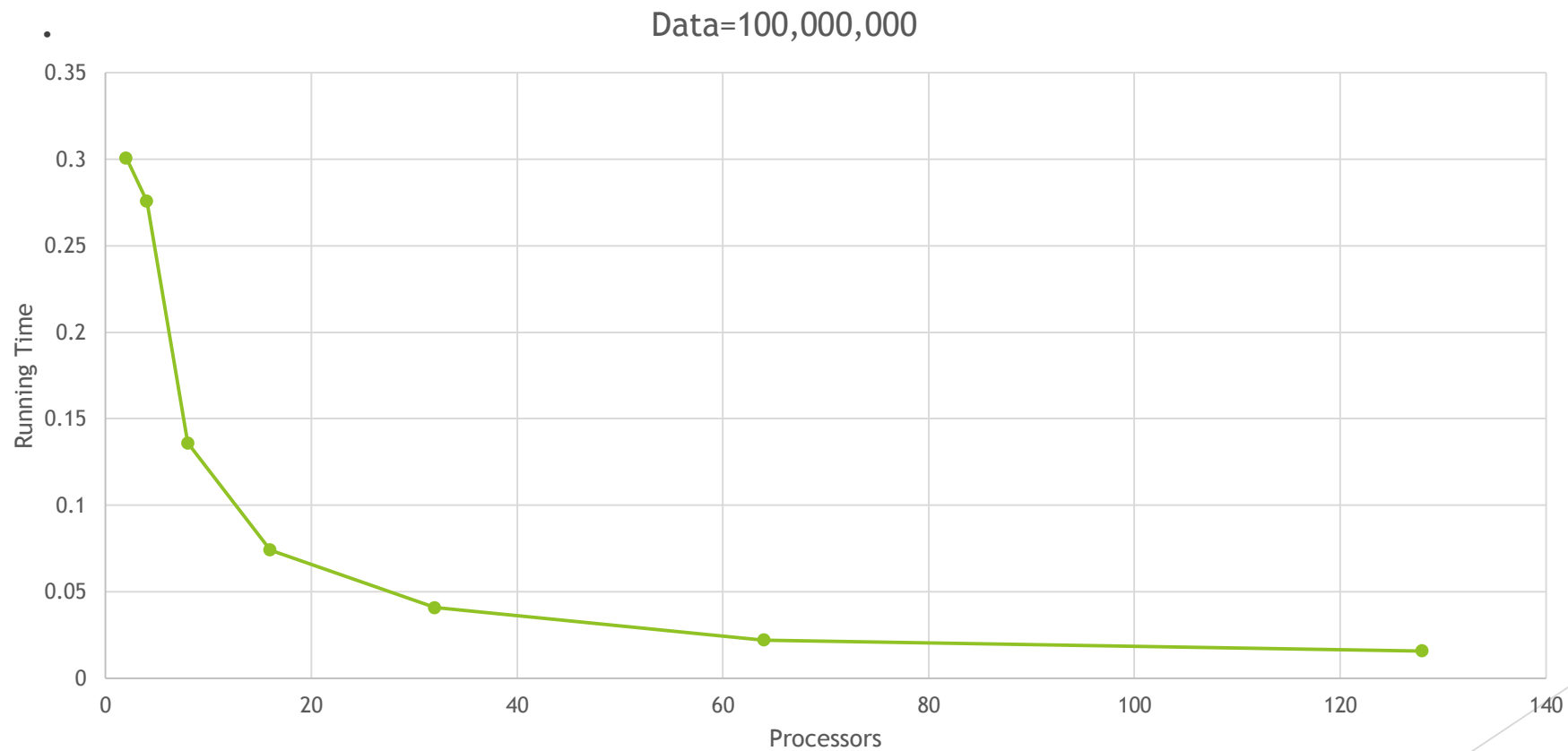


# Results - parallel implementation





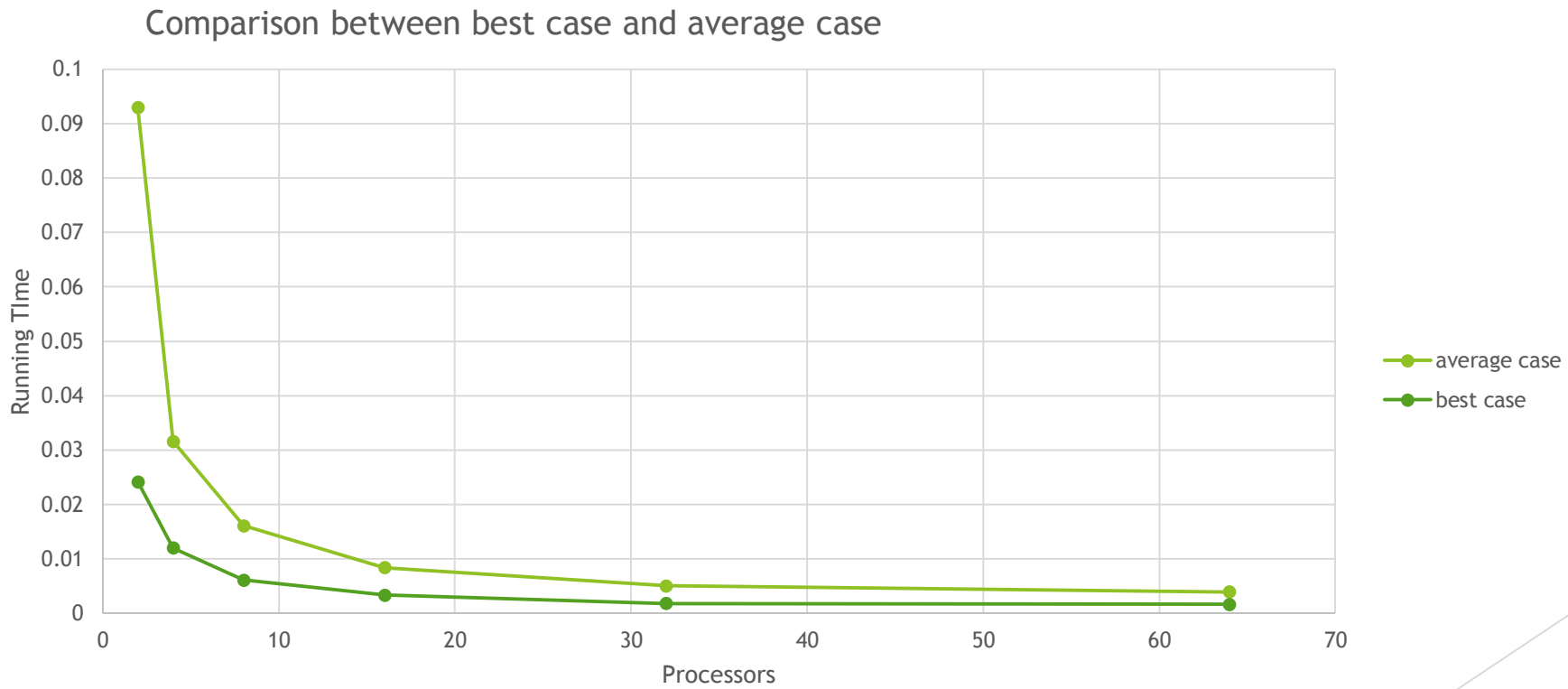
# Results - parallel implementation



# Best Case vs Average/Worst Case

- ▶ Best case scenario : In the best scenario , the very first line would be visible and nothing beyond it will be . This is best case because all the local prefixes will be skipped because the local maximum slope will be less than the received slope .
- ▶ Average case : In the average case , there may or may not be a local maximum slope which is greater than the received slope .
- ▶ Worst case scenario : In the worst case scenario the local maximum is always greater than the prefix value that was received , so thus all local prefix calculations have to be done .

# Best vs Average/worst case scenario



# Speedup(10m data)

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Questions ?