

# CSE-250 Recitation

Sept 11-Sept 12: PA1 Testing, Inequalities



# Introduction/Questions?

- Java?
- PA1?
- Summations?
- Asymptotic Analysis?

# PA1: Getting Started

- **PA1** will revolve around linked lists and how to implement them
- We will start **PA1** by writing tests
- Why Test Driven Development?
  - Deepens your understanding of the problem
  - Enables you to test your code without submitting to Autolab
  - Writing code before thinking about the problem will lead to disaster

# PA1: Getting Started

- Remember, **understanding the expected behavior** of each method is more important than how to make your implementation when writing tests
- Some of the best tests are going to be written by asking “What situations could break my code”
- Let's try to come up with some good linked lists for testing
  - **Side note:** how can we make these lists without relying on methods like insert

# Inequalities Cheat Sheet

1.  $f(n) \geq g(n)$  is true if  $f(n)/a \geq g(n)/a$  (for any  $a > 0$ )
2.  $f(n) \geq g(n)$  is true if  $f(n)*a \geq g(n)*a$  (for any  $a > 0$ )
3.  $x + a \geq y + b$  is true if  $x \geq y$  and  $a \geq b$  (for any  $a, b$ )
4.  $x \geq y$  is true if  $x \geq a$  and  $a \geq y$  (for any  $a$ )

# Examples

Prove  $3n + n^2 \in O(n^2)$

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$$3n + n^2 \leq c n^2$$

for some  $c > 0$  and all  $n$  greater than some non-negative  $n_0$

**Now prove that inequality using the tricks we just mentioned**

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# More Examples

Prove the following:

$$12 \log(10 \times 2^n) \in O(n)$$

$$n^2 + n \log(n) \in O(2^n)$$

$$n^2 + 15n^3 \in \Omega(n)$$

$$\sum_{i=1}^n i \in \Omega(n^2)$$